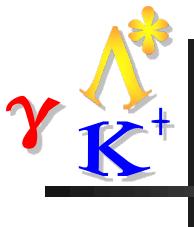




Structure of the $\Lambda(1405)$ from Photoproduction

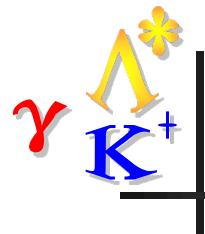


at **GlueX**

Jim Ritman

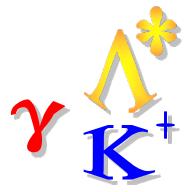


With Nilanga Wickramaarachchi (Catholic Univ.)
& Reinhard Schumacher (Carnegie Mellon Univ.) & Peter Hurck (Univ. Glasgow)
& Greg Kalicy (Catholic Univ.) & other GlueX Collaborators



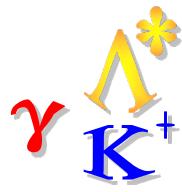
Overview

- Place of the $\Lambda(1405)$ in the world
- GlueX measurement for two final states
- K-matrix fits with one or two $\Lambda(1405)$ resonances & two scattering states
- 2-Pole nature and branching fractions of both resonances

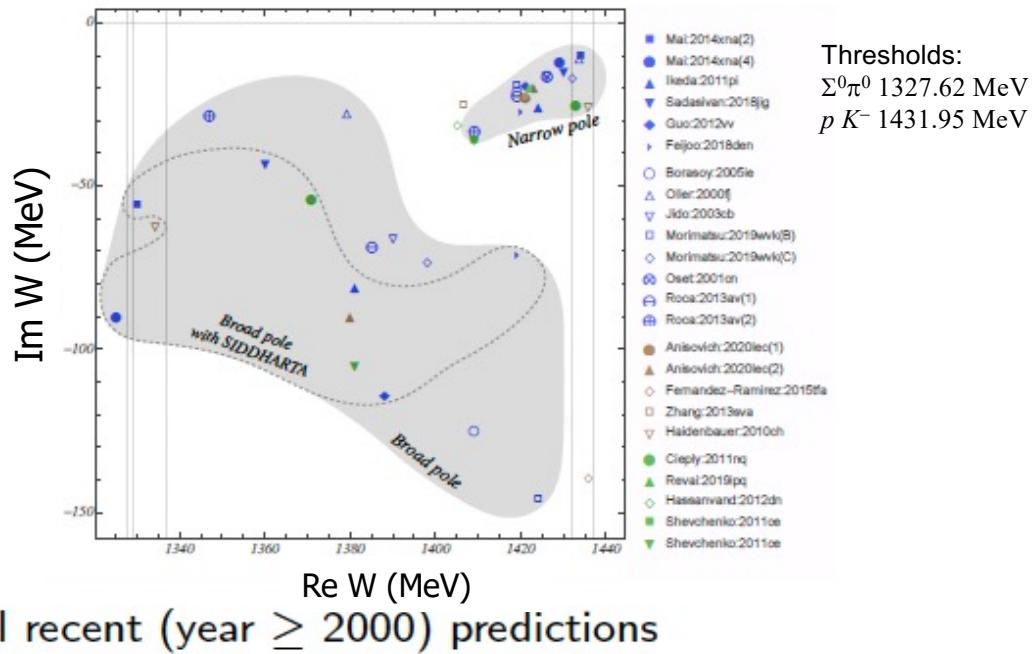


Motivation

- What is the place of the $\Lambda(1405)$ in baryonic physics?
 - It's too light, compared to $\Lambda(1520)$, in the quark model.
 - Close to the $N\bar{K}$ mass threshold – molecular/penta aspect.
 - Decays to $\Sigma\pi$, but MUST also decay to $N\bar{K}$.
- Chiral unitary models, CPT, LQCD (& others) predict two $I=0$ states in $\Lambda(1405)$ mass range.
- GlueX has the best data set, generating it cleanly in photoproduction:
$$\gamma p \rightarrow K^+ \Lambda(1405) \rightarrow K^+ \{\Sigma^0 \pi^0\}$$
$$\rightarrow K^+ \{p \ K^- \} \ (> N\bar{K} \text{ threshold })$$

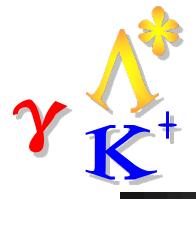


Pole Positions from the Literature



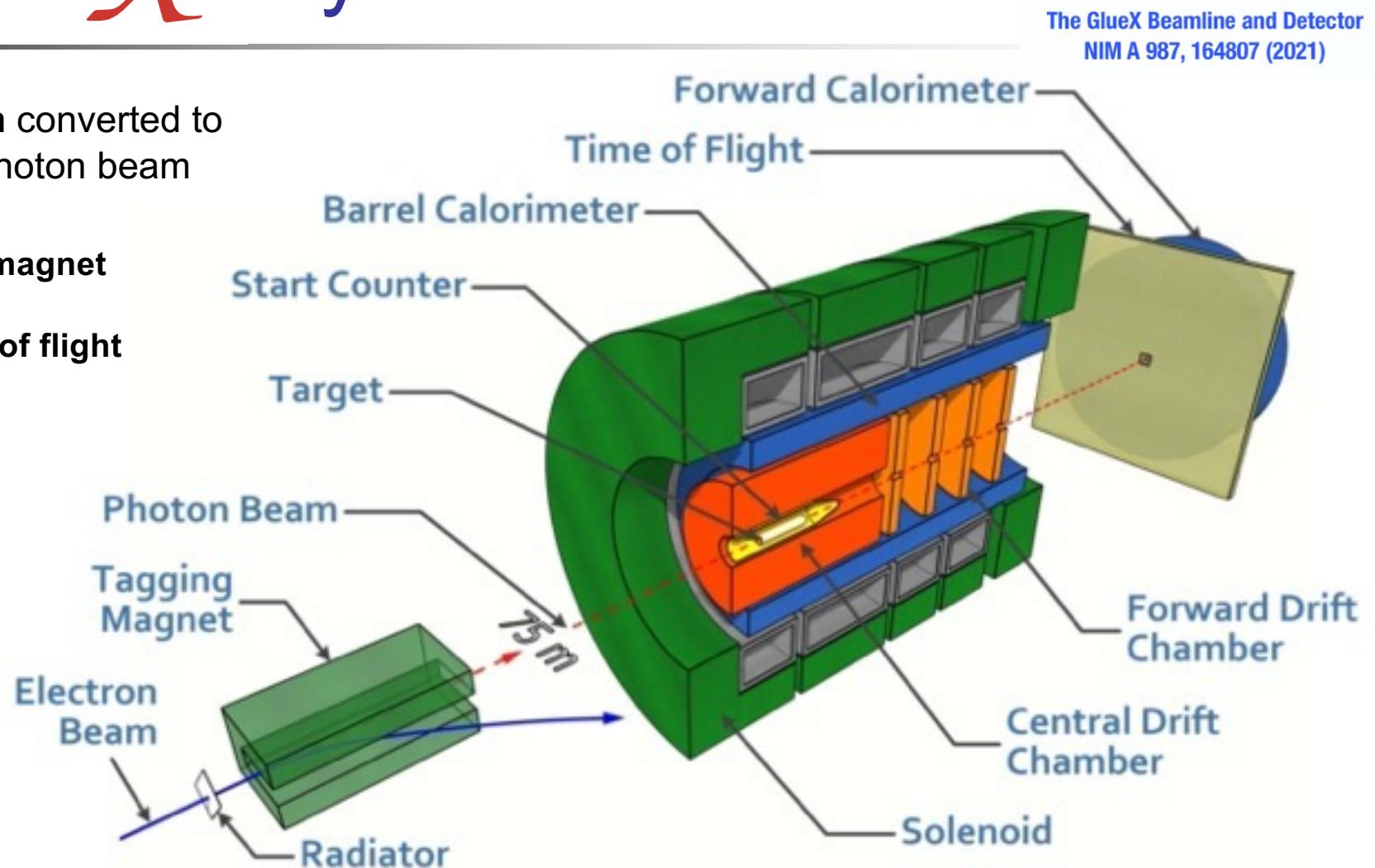
- Higher pole ~ 1430 MeV couples more strongly to $N\bar{K}$, lower pole ~ 1390 MeV couples more to $\Sigma\pi$
- Many theorists believe: $N\bar{K}$ quasi-bound state submerged in $\Sigma\pi$ continuum: coupled-channel dynamics
- Most data from low-energy NK scattering, kaonic atoms – not very sensitive to $\Sigma\pi$ pole position

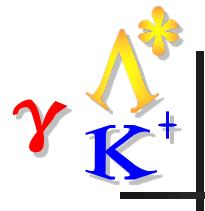
GlueX approach is new and different



System at JLab

- ~ 12 GeV e^- beam converted to 6.5 – 11.6 GeV photon beam
- 30 cm LH2 target
- ~ 1.5 T Solenoidal magnet
- Drift chambers
- Start counter/Time of flight
- Electromagnetic Calorimeters
- This analysis:
Data from “Phase I” runs 2017, 2018



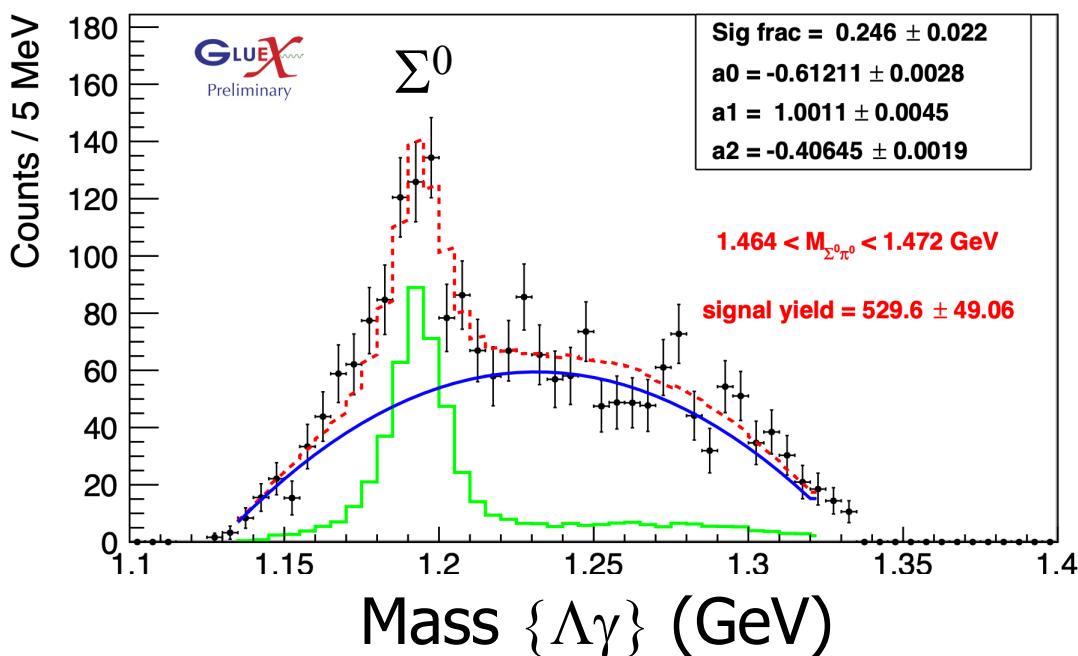


GlueX Competitive Advantages:

- GlueX has world's best data set making $\Lambda(1405)$ cleanly in photoproduction: $\gamma p \rightarrow K^+ \Lambda(1405)$
 $\rightarrow K^+ \{\Sigma^0 \ \pi^0\}$ (pure $I = 0$, no $I = 1$ contamination)
 $\rightarrow K^+ \ \{\{\gamma \Lambda\} \ \pi^0\} \rightarrow K^+ \gamma \ p \ \pi^- \ \gamma \ \gamma$
- GlueX also has: $\gamma p \rightarrow K^+ \Lambda(1405)$
 $\rightarrow K^+ \ \{p \ K^-\}$ (when above $N\bar{K}$ threshold)
- Do K-matrix fit to both final states together
 - Never done before...



Experimental Method I

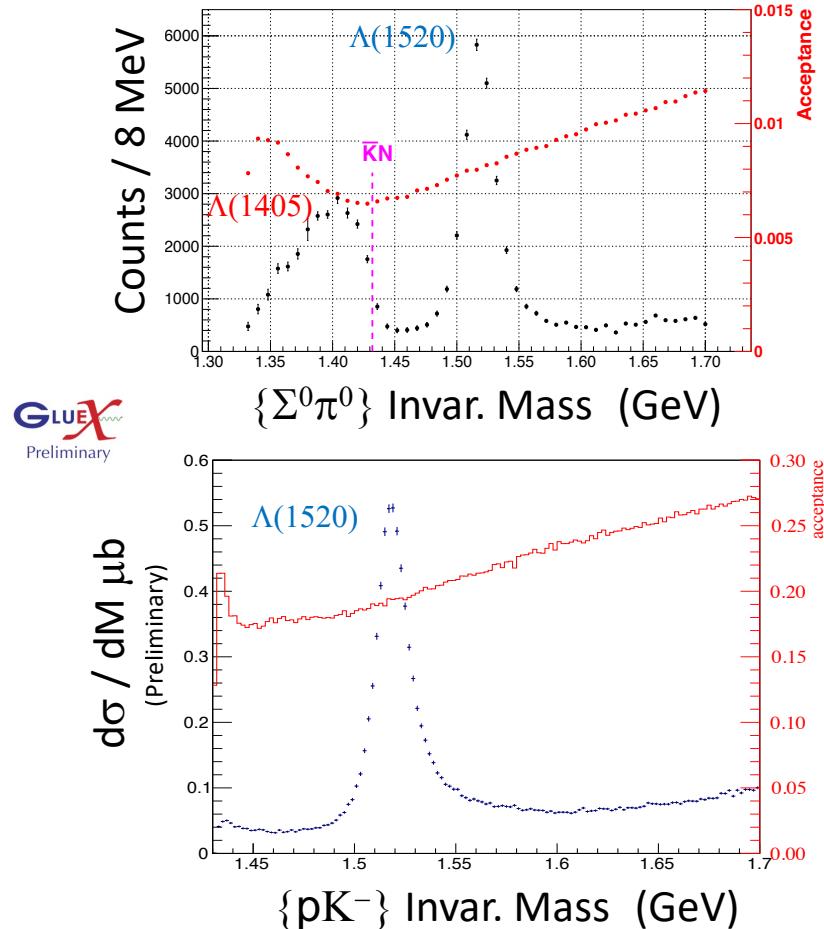


$\Sigma^0\pi^0$ channel

- Exclusive kinematic fit to beam photon & final state $\{K^+ \gamma \ p \ \pi^- \ \gamma \ \gamma\}$ particles
- Constrain Λ and π^0 masses, but not Σ^0 mass, in each $\Sigma^0\pi^0$ mass bin
- Background removal fit under Σ^0 in each $\Sigma^0\pi^0$ mass bin
- Use common GlueX acceptance & photon flux normalizations



Experimental Method II

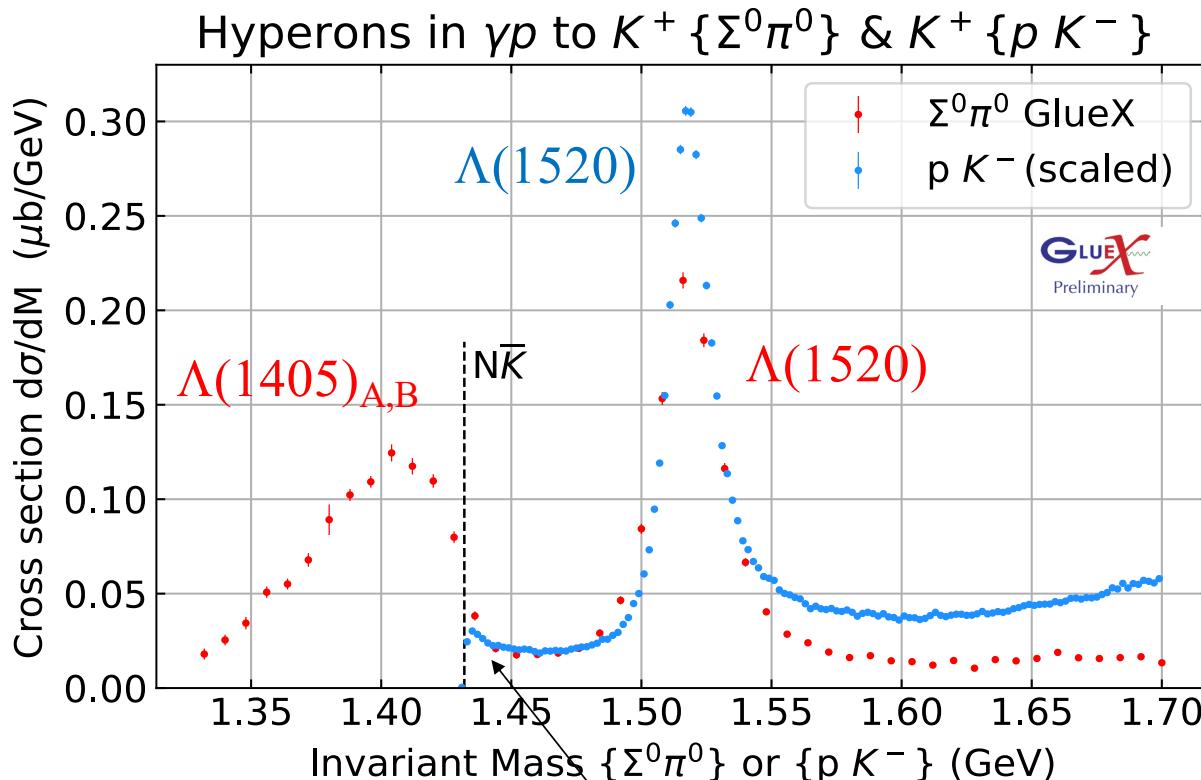


- **$\Sigma^0 \pi^0$ channel**
 - Clean detection of $\Lambda(1405)$ & $\Lambda(1520)$
 - Evident pK^- threshold effect
 - Smooth acceptance

- **pK^- channel**
 - $\Lambda(1520)$ sits on top of $\Lambda(1405)$ tails
 - Good, smooth acceptance



Cross Sections Differential in Mass



Ansatz: $\Lambda(1405)$ tails cause pK^- turn-on at threshold

- $\Sigma^0 \pi^0$
 - $N\bar{K}$ threshold break visible
 - Average mass resolution ~ 7.8 MeV
- $p K^-$
 - Scaled by PDG branching and isospin factors of $\Lambda(1520)$ to "match" $\Sigma^0 \pi^0$ scale
 - N.B.: instant turn-on at $N\bar{K}$ threshold
 - Average mass resolution ~ 2.0 MeV
- $0.00 < t < 1.50$ GeV²

Thresholds:
 $\Sigma^0 \pi^0$ 1327.62 MeV
 $p K^-$ 1431.95 MeV



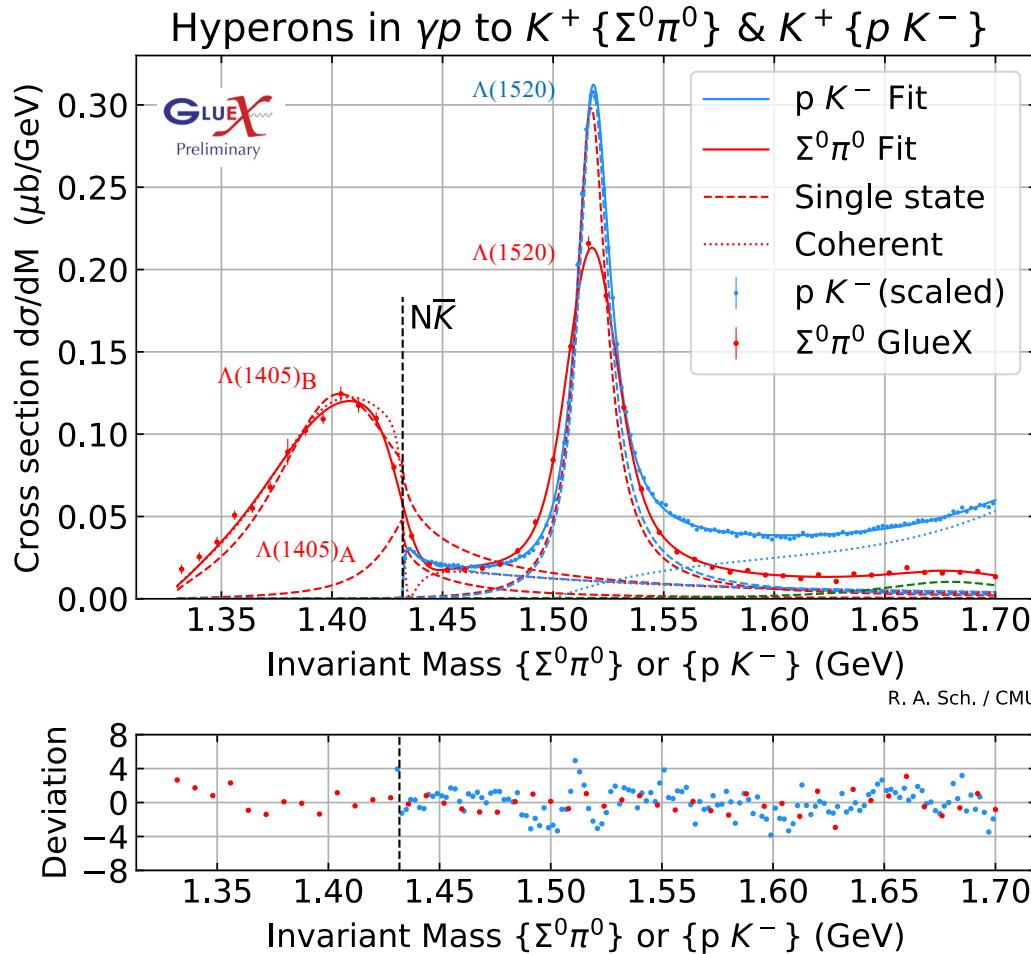
Application of K-Matrix Method*

- We have two resonances, $\Lambda(1405)_A$ and $\Lambda(1405)_B$, each coupled to $\Sigma^0 \pi^0$ and $p K^-$. The $\Lambda(1520)$ also decays to the same final states.
- Assume $J=1/2$ $L=0$ states do not interfere with $J=3/2$ $L=2$ state
- Ignore the possibility of $\eta\Lambda$ and $K\Xi$ decays
- Poles “A” & “B” are below threshold for pK^- channel
- Define “branching ratio” & “branching fractions” in terms of fitted $\Sigma\pi$ and $N\bar{K}$ final states

* à la S.U. Chung *et al.*, Ann. Physik 4, 404 (1995).



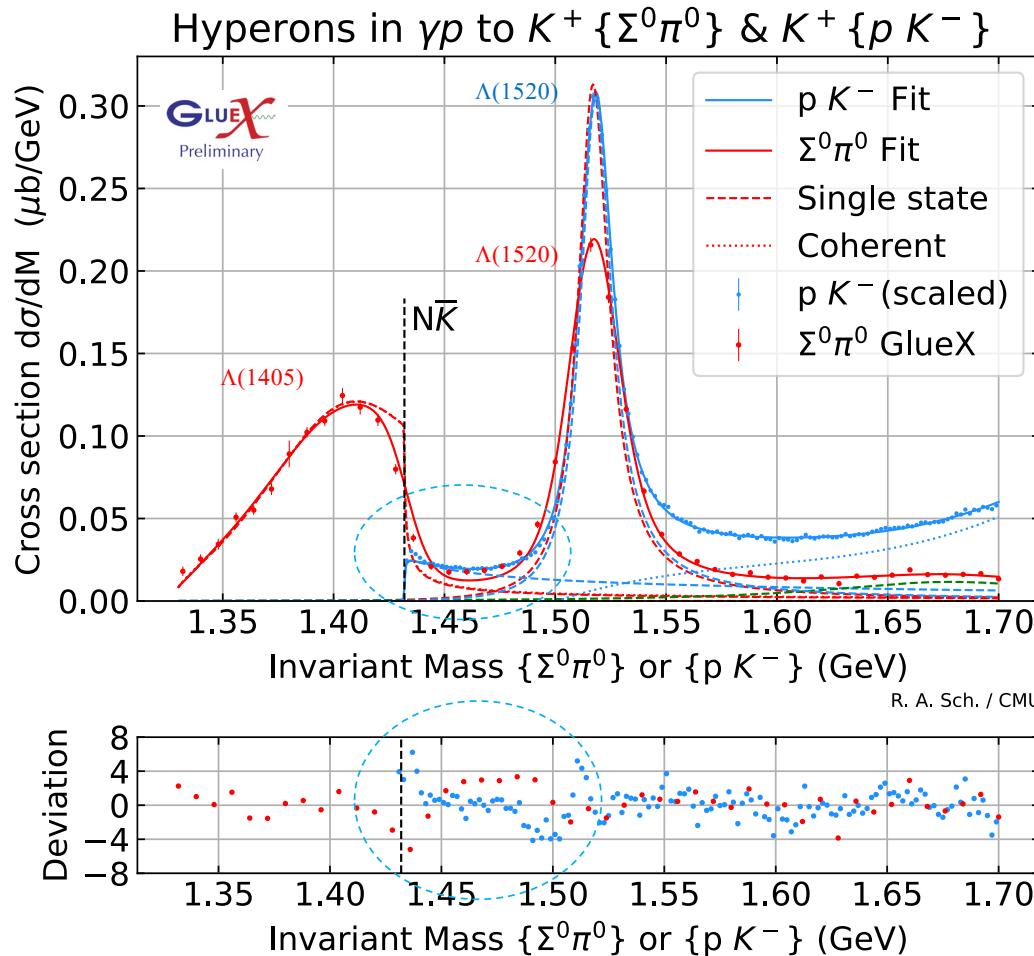
2-Pole K-matrix Fit to $\Lambda(1405)A, B$



- **$\Sigma^0\pi^0$ channel**
 - Solid – fit to data
 - Dashed – each A,B resonance separately
 - Dotted – fit to data:
 - full K-matrix fit with coherent $\Lambda(1405)A, B$ states
 - prior to convolving 7.8 MeV GlueX mass resolution
- **pK⁻ channel**
 - Solid – fit to data:
 - 2.0 MeV GlueX mass resolution
 - Dashed – coherent tail of $\Lambda(1405)A, B$ states
 - Dotted – incoherent high-mass background
 - 3rd order polynomial
- $0.00 < t < 1.50 \text{ GeV}^2$ (full range)
- $\Lambda(1520)$ cross section agreement $< 5\%$



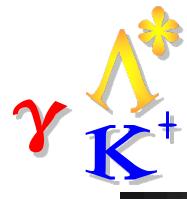
1-Pole K-matrix Fit to $\Lambda(1405)B$



- **$\Sigma^0\pi^0$ channel**
 - Solid – fit to data
 - Dashed – single $\Lambda(1405)$ resonance

- **$p K^-$ channel**
 - Solid – fit to data
 - Dashed – $p K^-$ tail of $\Lambda(1405)$ state
 - Dotted – incoherent high-mass background
 - 3rd order polynomial

- $0.00 < t < 1.50 \text{ GeV}^2$ (full range)
- **Poorer fit** than 2-pole ansatz: especially in critical threshold region



$\Lambda(1520)$ Pole Position Compared to PDG

$\Lambda(1520)$ POLE POSITION

REAL PART

1517 to 1518 (≈ 1517.5) MeV

$-2 \times$ IMAGINARY PART

14 to 18 (≈ 16) MeV ($\rightarrow \sim 2 \times 8$ MeV)

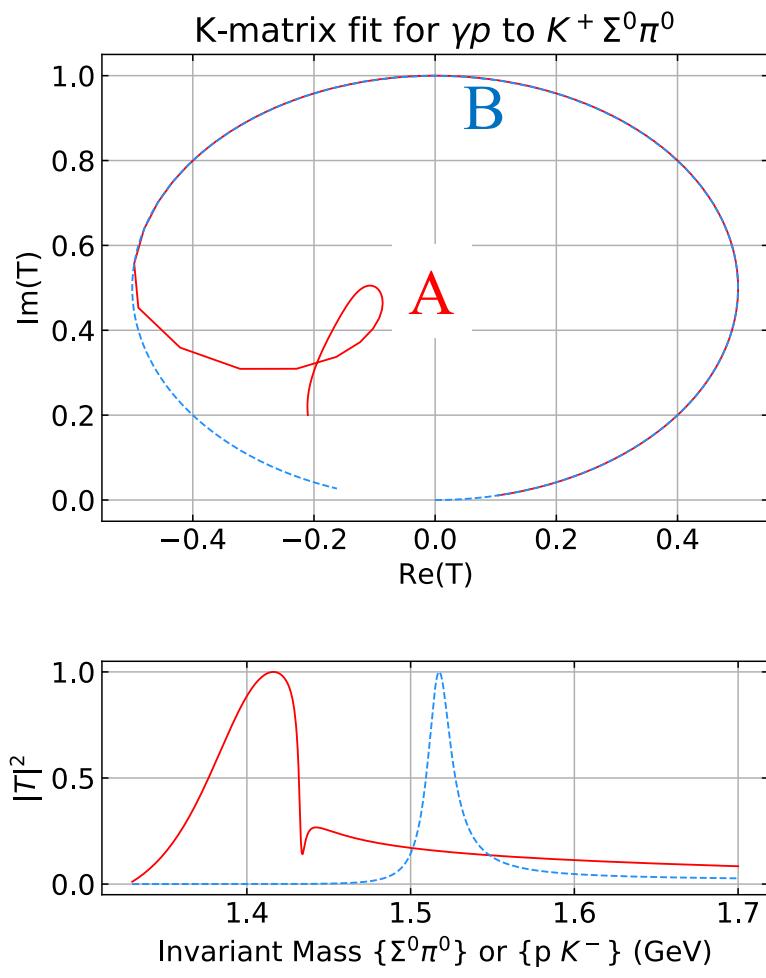
GlueX (preliminary):

$(1516.5 \pm 0.3) - i (8.3 \pm 0.1)$ MeV
(stat errors only)

Good agreement with PDG:
suggests the GlueX method is sound



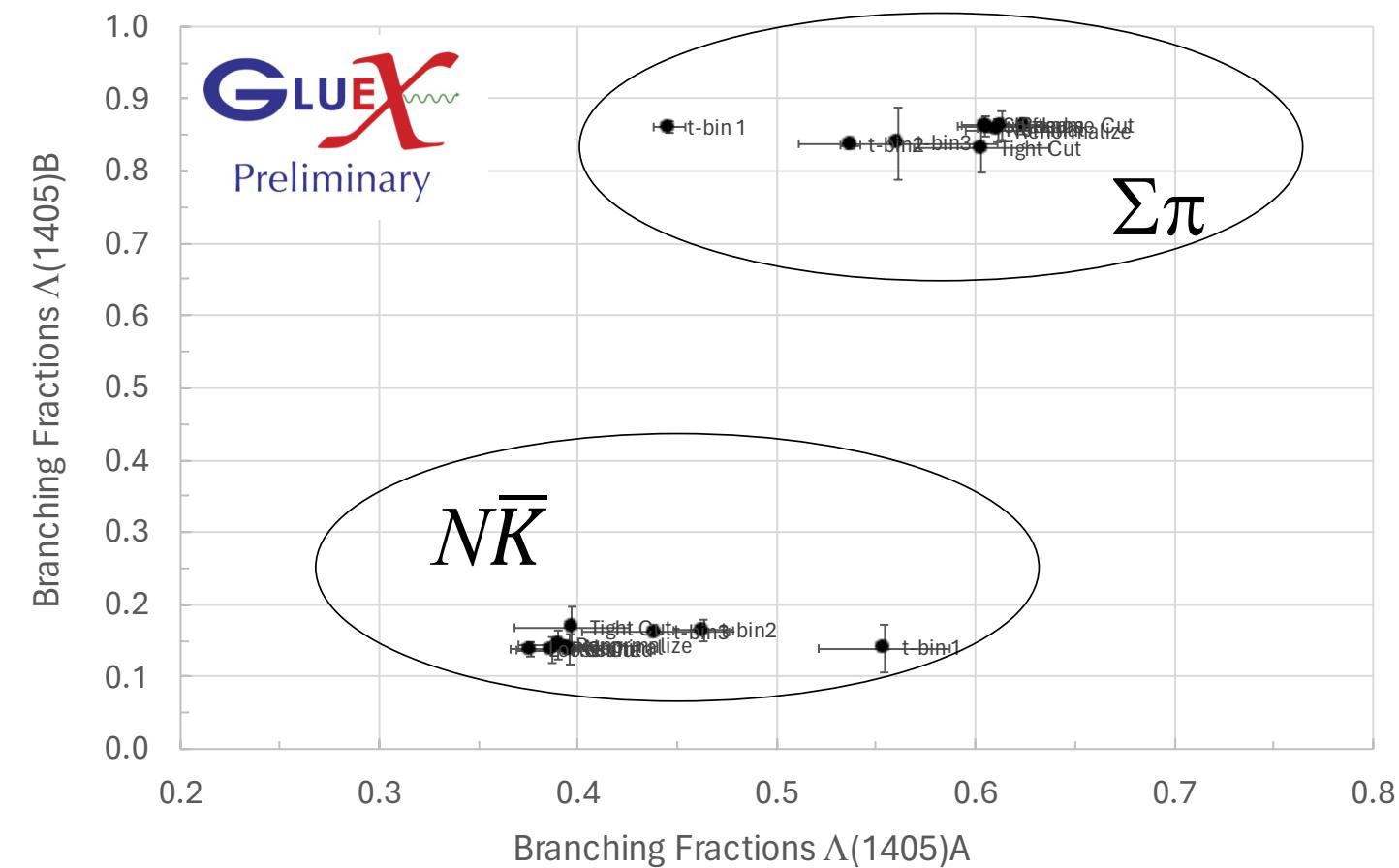
Check Unitarity of the Amplitudes



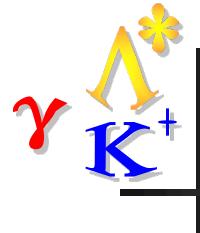
- Argand diagram and squared-magnitude for the $\Sigma^0 \pi^0$ amplitude (red)
 - Two $\Lambda(1405)$ resonances with $\Sigma^0 \pi^0$ and $p K^-$ initial/final states.
 - Each amplitude stays properly bounded.
- Separately, $\Lambda(1520)$ is a single $p K^-$ amplitude (blue)



Systematic Tests (work in progress)



- Branching Fractions
 - Nominal
 - Shifted bins
 - Tight KINFIT
 - Loose KINFIT
- t-bin 1
- t-bin 2
- t-bin 3
- Resum t-bins
- Rescale $\Lambda(1520)$ cross section



Branching Ratios/Fractions



- Project each resonance separately onto the real axis
- Integrate $\Sigma^0\pi^0$ & pK⁻ modes across full mass range: σ_{ij}
- Define branching ratio as $\sigma_{\Sigma^0\pi^0} / \sigma_{pK^-}$, etc.

Hyperon	BR($\frac{NK}{\Sigma\pi}$) (value)	(stat)	(syst)	BF($\frac{\Sigma\pi}{Total}$) (value)	(stat)	(syst)	BF($\frac{NK}{Total}$) (value)	(stat)	(syst)
$\Lambda(1405)$ [A]	0.65	0.02	T.B.D.	0.606	0.009	T.B.D.	0.394	0.009	T.B.D.
$\Lambda(1405)$ [B]	0.16	0.01		0.859	0.005		0.141	0.005	



Summary/Conclusions

- First measurement of the $\Lambda(1405)$ decaying into two separate channels: $\Sigma^0\pi^0$ & pK^-
- K-matrix fit to two intermediate resonances: A & B
- **Two-pole ansatz is superior to single-pole ansatz**
- Branching ratio/fractions defined and presented
- To do: systematics to be finalized

GlueX acknowledges the support of several funding agencies and computing facilities (<http://gluex.org/thanks>)

